

## Thermal Radiation

### 1 Goal

The goal of the experiment is to measure the exponent,  $n$ , of temperature,  $T$ , in the expression:

$$RadiatedPower \propto T^n$$

### 2 Method

To do this, a 12-volt bulb is put in a circuit containing an ammeter to measure the current, and a voltmeter to measure the voltage across the bulb. The meters used here are the HP multimeters which are interfaced to a computer via the GPIB bus.

For a given voltage across the bulb,  $V$ , the radiated power is

$$P = IV$$

On the other hand, the resistance of the filament is

$$R = V/I$$

So the measurement of  $I$  and  $V$  determine both  $P$  and  $R$ . The value of  $R$  may be used to determine the temperature, from data on the resistivity of tungsten vs. temperature. The data has been written into a file "RESTUNG.DAT". It is recommended that you fit the data to some functional form to do the analysis. There are several least-squares fitting programs available.

Take data with increasing  $V$ , measuring both  $V$ , and  $I$ . Remember that the GPIB system does not read out the two meters simultaneously. The GPIB system produces an ASCII file, which may be imported into a spread-sheet program for subsequent analysis. Convert the  $I, V$  data to  $P, T$  data. Plot  $\log P$  vs.  $\log T$  to obtain the exponent. At the lower end of the temperature range, there are physics reasons for not expecting a simple power law behavior. So it is legitimate to discard the data below some temperature. (It is not legitimate, however, to base the cut on the result for  $n$  you get with it; this is making an "informed choice".)

### 3 Be sure to include in your report:

1. Consideration of the other forms of heat loss: conduction and convection.
2. A graph of  $I$  vs.  $V$ .

3. A discussion of how you fitted the data on tungsten resistivity vs. temperature.
4. A discussion of how you found the value of  $n$ .
5. A graph of  $P$  vs.  $T$  together with the best-fit power law.
6. An estimate of the uncertainty in  $n$ .