PHYS 262

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Chapter 33: The Nature and Propagation of Light

- □ The nature of light
- Reflection and Refraction
- Total internal reflection
- Dispersion
- Polarization
- Huygens' principle



The Nature of Light

Light is a propagating electromagnetic waves



The Study of Light: Optics

□ Geometric (Rays) Optics:

$$L >> \lambda$$

Relevant system size >> wavelength



In this approximation, wave characteristic of light is not important and rays model of light gives accurate predictions.

(Visible light: $\lambda \sim 500 \text{ nm} \ll L \rightarrow \text{Rays}$ Optics works well with typical optical instruments: mirror, lens, cameras, telescopes,...)

Physical (Wave) Optics (Ch.35-36):
The study of light when wave properties of light are important (diffraction and interference). $L \approx \lambda$

Reflection and Refraction



When light hits a *boundary*, typically a part of it will be *reflected* & a part of it will be *refracted*.

Law of Reflection



 θ_r (angle of reflection) = θ_a (angle of incidence)

Index of Refraction *n*:

□ In materials, light interacts with atoms/molecules and travels *slower* than it can in vacuum, e.g.,

$$v_{water} \cong \frac{3}{4}c$$

The optical property of transparent materials is called the Index of Refraction:

$$n \equiv \frac{C}{V_{material}}$$
 (Table 33.1)

 $\Box \quad \text{Since } v_{\text{material}} < c \text{ always, } n > 1 !$

Law of Refraction (Snell's Law)



$$n_a \sin \theta_a = n_b \sin \theta_b$$

Snell's Law (3 cases)



A ray entering a material of *larger* index of refraction bends *toward* the normal.



A ray entering a material of *smaller* index of refraction bends *away from* the normal.



Total Internal Reflection

 \succ Light moves from a medium with a *larger n* to one with a *smaller n*.

➤ As the angle of incidence becomes more and more acute, the light ceases to be transmitted, only reflected.





Total Internal Reflection

□ Critical Angle θ_{crit} is determined by the borderline case (ray 3).

 $n_a \sin \theta_{crit} = n_b \sin 90^\circ$ (from Snell's Law)

$$\sin \theta_{crit} = \frac{n_b}{n_a}$$

(only valid for $n_a > n_b$)

Polarization

For a transverse wave on a string, the direction of the wave's *displacement* gives the **polarization** of the wave.

(a) Transverse wave linearly polarized in the (b) Transverse wave linearly polarized in the *z*-direction





Polarization by Filters

A *non*-linearly polarized wave on a string can be polarized by a slot barrier.

The slot functions as a polarizing filter, passing only components polarized in the *y*-direction.





The Action of a Polarizing Filter

Unpolarized incident light will be linearly polarized parallel to the polarizing axis after transmission.

We can analyze the intensity of the transmitted light passing thru the *second* polarizer (an analyzer):

Only E_{\parallel} will be transmitted,

$$E_{trans} = E_{\parallel} = E\cos\phi$$



The Action of a Polarizing Filter

Since intensity (I) is proportional to E^2 ,

$$I_{trans} = I_{\max} \cos^2 \phi$$

(Malus's Law) Transmitted intensity of *linearly* polarized light through a polarizer



D_{polarizer}

For an *upolarized* light, \vec{E} is in all directions,

$$I_{trans} = I_{\max} \int_{0}^{2\pi} \cos^2 \phi = \frac{1}{2} I_{\max}$$

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