



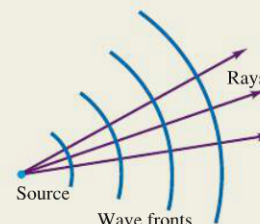
**Light and its properties:** Light is an electromagnetic wave. When emitted or absorbed, it also shows particle properties. It is emitted by accelerated electric charges.

A wave front is a surface of constant phase; wave fronts move with a speed equal to the propagation speed of the wave. A ray is a line along the direction of propagation, perpendicular to the wave fronts.

When light is transmitted from one material to another, the frequency of the light is unchanged, but the wavelength and wave speed can change. The index of refraction  $n$  of a material is the ratio of the speed of light in vacuum  $c$  to the speed  $v$  in the material. If  $\lambda_0$  is the wavelength in vacuum, the same wave has a shorter wavelength  $\lambda$  in a medium with index of refraction  $n$ . (See Example 33.2.)

$$n = \frac{c}{v} \quad (33.1)$$

$$\lambda = \frac{\lambda_0}{n} \quad (33.5)$$



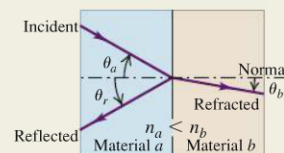
**Reflection and refraction:** At a smooth interface between two optical materials, the incident, reflected, and refracted rays and the normal to the interface all lie in a single plane called the plane of incidence. The law of reflection states that the angles of incidence and reflection are equal. The law of refraction relates the angles of incidence and refraction to the indexes of refraction of the materials. (See Examples 33.1 and 33.3.)

$$\theta_r = \theta_a \quad (33.2)$$

(law of reflection)

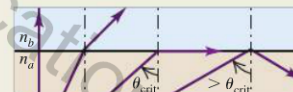
$$n_a \sin \theta_a = n_b \sin \theta_b \quad (33.4)$$

(law of refraction)



**Total internal reflection:** When a ray travels in a material of greater index of refraction  $n_a$  toward a material of smaller index  $n_b$ , total internal reflection occurs at the interface when the angle of incidence exceeds a critical angle  $\theta_{\text{crit}}$ . (See Example 33.4.)

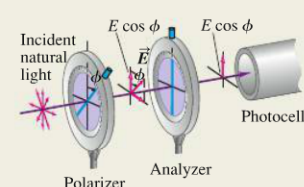
$$\sin \theta_{\text{crit}} = \frac{n_b}{n_a} \quad (33.6)$$



**Polarization of light:** The direction of polarization of a linearly polarized electromagnetic wave is the direction of the  $\vec{E}$  field. A polarizing filter passes waves that are linearly polarized along its polarizing axis and blocks waves polarized perpendicularly to that axis. When polarized light of intensity  $I_{\text{max}}$  is incident on a polarizing filter used as an analyzer, the intensity  $I$  of the light transmitted through the analyzer depends on the angle  $\phi$  between the polarization direction of the incident light and the polarizing axis of the analyzer. (See Example 33.5.)

$$I = I_{\text{max}} \cos^2 \phi \quad (33.7)$$

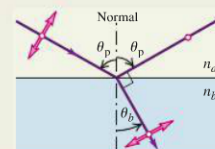
(Malus's law)



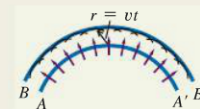
**Polarization by reflection:** When unpolarized light strikes an interface between two materials, Brewster's law states that the reflected light is completely polarized perpendicular to the plane of incidence (parallel to the interface) if the angle of incidence equals the polarizing angle  $\theta_p$ . (See Example 33.6.)

$$\tan \theta_p = \frac{n_b}{n_a} \quad (33.8)$$

(Brewster's law)

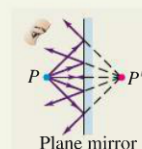


**Huygens's principle:** Huygens's principle states that if the position of a wave front at one instant is known, then the position of the front at a later time can be constructed by imagining the front as a source of secondary wavelets. Huygens's principle can be used to derive the laws of reflection and refraction.





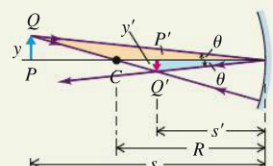
**Reflection or refraction at a plane surface:** When rays diverge from an object point  $P$  and are reflected or refracted, the directions of the outgoing rays are the same as though they had diverged from a point  $P'$  called the image point. If they actually converge at  $P'$  and diverge again beyond it,  $P'$  is a real image of  $P$ ; if they only appear to have diverged from  $P'$ , it is a virtual image. Images can be either erect or inverted.



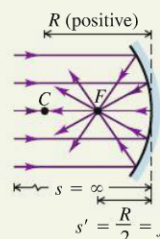
**Lateral magnification:** The lateral magnification  $m$  in any reflecting or refracting situation is defined as the ratio of image height  $y'$  to object height  $y$ . When  $m$  is positive, the image is erect; when  $m$  is negative, the image is inverted.

$$m = \frac{y'}{y}$$

(34.2)



**Focal point and focal length:** The focal point of a mirror is the point where parallel rays converge after reflection from a concave mirror, or the point from which they appear to diverge after reflection from a convex mirror. Rays diverging from the focal point of a concave mirror are parallel after reflection; rays converging toward the focal point of a convex mirror are parallel after reflection. The distance from the focal point to the vertex is called the focal length, denoted as  $f$ . The focal points of a lens are defined similarly.



**Relating object and image distances:** The formulas for object distance  $s$  and image distance  $s'$  for plane and spherical mirrors and single refracting surfaces are summarized in the table. The equation for a plane surface can be obtained from the corresponding equation for a spherical surface by setting  $R = \infty$ . (See Examples 34.1–34.7.)



	Plane Mirror	Spherical Mirror	Plane Refracting Surface	Spherical Refracting Surface
Object and image distances	$\frac{1}{s} + \frac{1}{s'} = 0$	$\frac{1}{s} + \frac{1}{s'} = \frac{2}{R} = \frac{1}{f}$	$\frac{n_a}{s} + \frac{n_b}{s'} = 0$	$\frac{n_a}{s} + \frac{n_b}{s'} = \frac{n_b - n_a}{R}$
Lateral magnification	$m = -\frac{s'}{s} = 1$	$m = -\frac{s'}{s}$	$m = -\frac{n_a s'}{n_b s} = 1$	$m = -\frac{n_a s'}{n_b s}$

Object–image relationships derived in this chapter are valid only for rays close to and nearly parallel to the optic axis; these are called paraxial rays. Nonparaxial rays do not converge precisely to an image point. This effect is called spherical aberration.

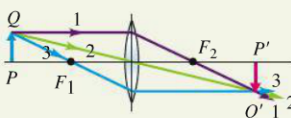
**Thin lenses:** The object–image relationship, given by Eq. (34.16), is the same for a thin lens as for a spherical mirror. Equation (34.19), the lensmaker's equation, relates the focal length of a lens to its index of refraction and the radii of curvature of its surfaces. (See Examples 34.8–34.11.)

$$\frac{1}{s} + \frac{1}{s'} = \frac{1}{f}$$

(34.16)

$$\frac{1}{f} = (n - 1) \left( \frac{1}{R_1} - \frac{1}{R_2} \right)$$

(34.19)



**Sign rules:** The following sign rules are used with all plane and spherical reflecting and refracting surfaces.

- $s > 0$  when the object is on the incoming side of the surface (a real object);  $s < 0$  otherwise.
- $s' > 0$  when the image is on the outgoing side of the surface (a real image);  $s' < 0$  otherwise.
- $R > 0$  when the center of curvature is on the outgoing side of the surface;  $R < 0$  otherwise.
- $m > 0$  when the image is erect;  $m < 0$  when inverted.