## <section-header>





























































Anodic vs cathodic stimulation





## **Recruitment properties**

Magnitude of muscular contraction depends on: (1) electrode type; (2) stimulation waveform shape, time, amplitude; (3)location of electrode relative to motoneuron.

**Force modulation** can be achieved by: (1) rate modulation (2) recruitment

(1) **rate modulation**: there's summation of muscular contraction if high enough frequency is used, but the muscle is more prone to fatigue. Higher frequency leads to higher (faster) fatigue.

(2) **recruitment**: number of motoneurons stimulated: more neurons means more muscles.

















the "wire" secure it in the muscle.















| Urinary Bladder: histology   |  |                                  |
|--|--|----------------------------------|
| Tutorial Name: Neoplasia<br>ConceptName: In situ carcin<br>Slide Name: Bladder Transiti  | oma<br>Ional Epithelium  |                                  |
| Image Description: Tr<br>found only in the condu<br>urinary system. Note th<br>with their large nuclei a<br>These are typical of tra | ansitional epithelium is<br>icting passages of the<br>e columnar surface cells<br>nd prominent nucleoli.<br>nsitional epithelium.      |                                  |
| Structures   | Structure<br>Descriptions  | Contraction of the second states |
| lamina propria   | In the bladder, this is<br>the rather dense<br>connective tissue<br>layer beneath the<br>epithelium.                                   |                                  |
| transitional epithelium  | When the bladder is<br>not distended (as in<br>this slide), the line of<br>swollen cells at the<br>surface is particularly<br>evident. |                                  |





















The "del" operator (nabla, or 
$$\nabla$$
)  
 $\nabla = i \frac{\partial}{\partial x} + j \frac{\partial}{\partial y} + k \frac{\partial}{\partial z}$   
Gradient of p (where p is a scalar field): a vector field!  
If we simply multiply a scalar field such as p(x,y,z) by the del operator, the result is a vector field, and the components of the vector at each point are just the partial derivatives of the scalar field at that point, i.e.,  
 $\nabla_p = i \frac{\partial p}{\partial x} + j \frac{\partial p}{\partial y} + k \frac{\partial p}{\partial z}$ 

Now we want to multiply a vector field v by the gradient.

Dot product between vectors a(x,y,z) and b(x,y,z):

Cross product between same vectors:

1) Dot product between gradient and v(x,y,z): Defined as the DIVERGENCE of v (it's a scalar!)

$$\nabla \cdot \mathbf{v} = \frac{\partial \mathtt{v}_{\mathtt{x}}}{\partial \mathtt{x}} + \frac{\partial \mathtt{v}_{\mathtt{y}}}{\partial \mathtt{y}} + \frac{\partial \mathtt{v}_{\mathtt{z}}}{\partial \mathtt{z}}$$

2) Cross product between gradient and  $\mathbf{v}(x,y,z)$ : Defined as the CURL of  $\mathbf{v}$  (it's a vector!)

$$\nabla \times \mathbf{v} = \left(\frac{\partial \mathtt{v}_{\mathtt{z}}}{\partial \mathtt{y}} - \frac{\partial \mathtt{v}_{\mathtt{y}}}{\partial \mathtt{z}}\right) \mathbf{i} + \left(\frac{\partial \mathtt{v}_{\mathtt{x}}}{\partial \mathtt{z}} - \frac{\partial \mathtt{v}_{\mathtt{z}}}{\partial \mathtt{x}}\right) \mathbf{j} + \left(\frac{\partial \mathtt{v}_{\mathtt{y}}}{\partial \mathtt{x}} - \frac{\partial \mathtt{v}_{\mathtt{x}}}{\partial \mathtt{y}}\right) \mathbf{k}$$

Laplacian operator ( $\nabla^2$ ): divergence of the gradient. Scalar field!

$$\nabla \cdot \nabla = \frac{\partial^2}{\partial x^2} + \frac{\partial^2}{\partial y^2} + \frac{\partial^2}{\partial z^2}$$































